SSLC EXAM 2022

MATHEMATICS

Target 70+

Improve and Score > 90 %

PART – 1: Important MCQs and 1 Mark Questions

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"Success is achieved and maintained by those who try and keep trying"

• Name of the Student:
Name of School:Target:
I. Answer the Following Questions:
1. If the nth term of an arithmetic progression is $3n+2$, find its $5^{\rm th}$ term

. The common diff	ference of A.P.: 1, -1, -3, is
. In an Arithmetic	e progression an =5n+2, then 1st term is
Arithmetic progr	ression with first term 3 and the common difference -2 is
. Artinmetic progr	lession with first term 5 and the common difference -2 is
The 17th term	of an Arithmetic progression exceeds its 10th term by 7. Fir
ommon difference	

6. The sum of first 'n 'odd natural numbers is
7. If 2, x ,14 are in Arithmetic progression, then the value of 'x ' is
8. The sum of first n positive integers is
9. The common difference in an Arithmetic progression 8 , 14 , 20 Is
10. The sum of first 'n 'even natural numbers is
11. In an Arithmetic progression the sum of first four terms is 20 and the sum first three terms is 12 then find the fourth term of the arithmetic progression.
12. Write the formula to find the sum of the first 'n' terms of an arithme progression whose first term is 'a' and the last term is 'an'.

difference is	
14. If 3, m, 11	are in Arithmetic progression, then find the value of 'm'.
	,
15. In an aritl	hmetic progression, first term is 'a' and the common difference is 'o
then its 15th t	
16. The comm	on difference of the arithmetic progression 2,9,16,23
17. In two sim	ilar triangles, if the ratio of the corresponding sides is 3:4, then the
areas of these	triangles are in the ratio

19. If the areas of two triangles are in the ratio of 36:64, then the ratios of their corresponding sides are 20. State Pythagoras Theorem 21. State Basic proportionality Theorem 22. Areas of two similar triangles are in the ratio 25:49. Sides of these triangles are in the ratio		
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	21. State Ba	sic proportionality Theorem
	are in the ra	t10

23. In the figure DE BC, AB=8cm, AD=4cm and AE=3cm then the length of AC
^ <u>^</u>
BZ → YC
24. In the figure in $\triangle ABC$ $DE \parallel BC$, $AD = 1$ cm , $AE = 2$ cm and $EC = 6$ cm Find
length of DB
^^
B A
25. If two lines representing the pair of linear equations intersect each other, the
the pair of equations is
9C In 2m + 2m = 10 if m = 0 then the realise of m = 10
26. In $3x + 2y = 12$, if $x = 0$, then the value of y is
27. The ratio of coefficients of linear equations $a_1x+b_1y+c_1=0$ and $a_2x+b_2y+c_3y+c_4y+c_5y+c_5y+c_5y+c_5y+c_5y+c_5y+c_5y+c_5$
which have infinite solution is

29. For what v	alue of 'k' the given pair of linear equations are parallel :
	Kx + 3y = 5; $4x + 6y = 13$
	value of 'k' the given pair of linear equations have infinitely man $4y = 3$, $6x + Ky = 9$
91 The metic	of coefficients of linear equations $a_1x+b_1y+c_1=0$ and $a_2x+b_2y+c_2=$ solution is
which have no	

4x+ky=8	
34. The line	ar equations 5x+10y=12 and 15x+30y=10 has
R5 The line	ar equations 2x-3y=7 and 3x+2y=5 are
oo. The line	ir equations 2x-sy-7 and 5x+2y-5 are
o (m) 1:	1: 4 9 -10 10 10 -20
36. The line	ar equations 4x+3y=10 and 8x+6y=20 have
37. Pair of l	near equations $x + 2y = 6$ and $3x + 6y = 18$ have
	

solutions : kx-4y=			
39. A pair of line	ar equations a ₁ x+b ₁ y+c ₁ =0,	and $a_2x+b_2y+c_2=0$ is inconsistent	ent then
40. If the pair of	Linear equations $x + 2y =$	3 and 2x + 4y = k are coincide	then th
value of 'k' is :	·	CHO	
		>	
41. 8 tables and	12 chairs together cost	rupees 4800. Expressing the	situatio
42. The cost of 8 variables form	books and 5 pens is Rs 370	0. Represent this linear equati	ion in tw

value of 'k' is	
14. The solution	of the pair of equations $x - y = 2$ and $x + y = 4$ is
	. 8
	ons $kx - 2y = 3$ and $3x + y = 5$ represents two intersecting lines
unique point, the	en find the value of k?
	
16. If x = 2 and 2	2x + y = 12 then the value of y is
17. The lines rep	presented by $mx + 3y + 7 = 0$ and $4x + 6y - 8 = 0$ are parallel, the
he value of 'm' i	.s

48. The distance to a point P (x, y) from the origin is	
49. The distance between the points $A(X_1 , Y_1) \& B(X_2 , Y_2)$ is	
50 The mid-point of the line segment joining the points (X $_1$, Y $_1$) & (X $_2$, Y $_2$) is	
51. The distance of the point (α, β) from origin is	
52. Find the distance of the point P (3,4) from the origin	
53. The relation between a and b when the points (1,2), (0,0) and (a, b) are colling	 near
54. The distance of the point P(2, 7) from the x – axis is	
55. The distance of the point $Q(6, 4)$ from the Y – axis is	

56. The distance of the point (-7, 5) from y-axis	
57. Co-ordinates of origin are.	
58. The formula to find out the area of the triangle when $B(x_2, y_2)$ and $C(x_3, y_3)$ is	nose vertices are A (x ₁ , y ₁)
	8
59. The coordinates of the points which divides the line (x_1, y_1) and (x_2, y_2) internally in the ratio m1: m2 is	segment joining the points
60. The coordinates of the point on the x- axis will be in	the form
61. The coordinates of the point on the y- axis will be in	the form
62. The co-ordinates of the mid-point of the line segment (6,0) is	joining the points (2,0) and

63. The quadratic equation has degree	
64. The standard form of a quadratic equation is	
65. Formula to find the discriminant of the quadratic equation ax ² + b	ox + c = 0 is
66. The values of X in given Quadratic equation x ² +1=101 are	
67. The value for 'c' for which the equation $ax^2 + bx + c = 0$ has equal to	roots is
68. "The product of two consecutive positive integers is 30" this state expressed as	ement can be
69. If the value of the discriminant of a quadratic equation is zero th of the roots are	en the nature
70. If the value of the discriminant of a quadratic equation greater the nature of the roots are	han zero then

71. If the value of the discriminant of a quadratic equation is less than zero then the nature of the roots are
72. If the roots of the quadratic equation x² + mx + 4=0 are equal, then the value of m is
73. The sum of the squares of two consecutive odd numbers is 290. This statement is expressed in the form of an equation as
74. The standard form of the quadratic equation $2x^2 = 3x-7$ is
75. If One root of the quadratic equation $(x - 2)(x+1)=0$ is 2 then the other root is
7.6 Ml
76. The standard form of the equation $8x = -7x^2 + 3$ is
77. If one root of the quadratic equation $(x - 2)(x + 1) = 0$ is 2, then the other root is

79. If 2 sin A = 1 , then th	e value of angle A is
30. The value of $ an 45^0$ is	
31. sin(90-θ) is equal to	
32. tan θ - cot(90-θ) is equ	
33. If 13sin θ =12 then cos	ec θ =
34. If tanA = 4/3 then cotA	<u></u>
35. Simplify tanθ.cotθ =	

86. Find the V	Value of Sin 90° + tan 45°
87. If tanA = 0	cotB , then A + B =
88. Evaluate :	tan 45 ⁰ + cot 45 ⁰
89. Find the v	value of $(sin^2 25^0 + sin^2 65^0)$.
90. If sin A =	1 / 2 where A is an acute angle then find the value of A.
91. If tan θ =	1 then the value of 'θ'is
92. The value	$\frac{\sin 18}{\cos 72}$ of is
93. The value	$\frac{\tan 26}{\cot 64}$ of is

94. The v	ralue of Sin30° + cos60° is
95. Find 1	the value of $(1 + tan^2\theta) \cos^2\theta$.
96. The v	ralue of Sin (90° - A)
97. if tan	A = 4/3 then find the value of 4 cot A
98. Evalu	nate tan ($90 - \theta$) $-\cot \theta$
99. 1 + co	$\partial t^2 (90^\circ - \theta)$ is equal to
100. The	value of $\sin 60^{\circ} \times \cos 30^{\circ}$ is
 101. If 3t	$\tan \theta = \sqrt{3} \ \text{then} \ \theta =$

102. Th	the value of $\sin^2 45^0 \times \cos^2 45^0 =$
 103. Vo	lume of a cube of edge 3 cm is
	cylinder and a cone are of same heights and same radii of their bases. If the of the cylinder is 300 cm³ then, the volume of the cone is
105. Su	rface area of a sphere of radius 7cm is
106. Th	e measure of central tendency that gives the middle most value of the data
107. Th	e line segment joining two distinct points on a circle is
108. A s	straight line that intersects at only one point on the circle is

109. The maximum nu	mber of parallel tangents that can be drawn to a circle is
110. The maximum n external point is	umber of tangents that can be drawn to a circle from an
111. If the angle betw	reen two tangents of a circle with is 70° then angle between
112. The tangents drav	wn at the ends of a diameter of a circle are
113. In a given circle, contact is	the angle between the tangent and the radius at the point of
114. The empirical rela	ationship between the three measures of central tendency is
115. Class mark for th	e class 10 – 25 is

116. Size of the class interval 40-50 is
117. The middle most score in an orderly arranged data is
118. The sum of the values of all the observations divided by the total number observations is
. 8
119. The Formula to find median of grouped data is
120. The formula used to find mode of the grouped data
121. If the median is 36 and mean is 18, then the value of the mode is
122. The x coordinate of the point of intersection of less than type ogive and mo

123. The formula used to find the curved surface area of the frustrum of a cone radii are r1 and r2 and slant height 'l' is	whose
124. The volume of a cylinder is 300m3 then the volume of a cone having the radius and height as that of the cylinder is	e same
125. Volume of a sphere with radius 'r' is	
126. A cylinder and a cone are of same base, radius and of same height. The rather volume of the cylinder to that of the cone is	 ratio o
127. The surface area of a sphere of radius 7 cm is	
128. Formula to find volume of a cylinder is	
129. A solid formed on revolving a side of a rectangle is	

130. Formula to find total surface area of a hemisphere is	
101 A 1:16 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	
131. A solid formed on revolving a right-angled triangle about its height is	
132. If the slant height of a frustum of a cone is 4cm and radii of its two cir	 rcula
ends are 5cm and 2cm, then its curved surface area is	
. 8	
133. The length of each edge of a cube with its volume 64 cm³ is	
134. Area of a quadrant of a circle with radius 'r' is	
135. Write the formula to find the total length of an arc of a circle of radius 'r'	unit
and subtends an angle θ at the centre.	
136. The mean(average) of scores 4, 7, 9, x is 8. Find the value of x .	

137. Write the formula used to find curved surface area of the frustum of a cone	 -
138. The formula to find length of an arc of a sector whose radius is 'r' and ang	 le <i>t</i>
139. Find the volume of a cone of height 10 cm and area of the base is 30 cm ²	
140. The median of 6, 4, 3, 2, 8, 9, 5 is	
141. Write the formula to find curved surface area of the sphere	
142. In the figure find the length of an arc AB of a circle centre 'O' if AOB = 90°	0
143. Write the formula to find the length of an arc of a sector of angle.	
144. If two triangles are congruent, then the ratio of their areas	

145. The formul	a used to find volume of sphere
146. If the surfa	ace area of a sphere is numerically equal to its volume, then r =
147. The Volume	e of the frustum of cone is given by
148. The volume	e of hemisphere of radius 'r' is
149. During con shape will be	version of a solid from one shape to another, the volume of the new
	sa of the point of intersection of the less than type and of the more curves of the same grouped data gives its
151. If 2 cos2A =	= 1 , then value of angle A is
152. The total s	urface area of a hemisphere with radius 7cm is

154. The	e relationship between radius "r" and height "h" and slant height "l" of
155. The	e surface area of a sphere is 616 sq.m. The surface area of its hemisphere i
	e perimeter of the base of a right circular cylinder is 44 cm and its height i
157. Th€	e slant height of a cone having radius 5cm and height 12 cm is

158. If two solid hemispheres of same radius are joined together along their base. The surface area of this new solid is
159. In $2x + y = 8$, if $y = 0$ then find the value of 'x'.
160. In a graph representing the pair of linear equations, if the lines intersect each other, then equations have
161. The median of the scores 5, 8,14,16,19 and 20 is
162. In the equation $x + y = 5$, if $x = -12$, then the value of 'y' is
163. The factors of the quadratic equation $x^2 - 5x + 6 = 0$ are
164. The mode and mean of given data are 9 and 6 respectively, then the median is
165. The length of the biggest chord of a circle is 10 <i>cm</i> . The length of the radius i

67. Angle between the radius and tangent at the point of intersect is	
67. Angle between the radius and tangent at the point of intersect is	
168. The circumference of a circle is 88cm, then its radius is	
169. The mean and median of given data are 20 and 22 respectively, then the	mo:
$170.$ The radius of a sphere whose surface area is $616\ cm^2$	
